Non-stationarity of electrical resistivity and soil moisture relationship in heterogeneous soil system: A case study

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Abstract

Understanding the role of vegetation in the interface between the atmosphere and groundwater is the most decisive key in analyzing the processes involved in water transfer. The main effect of vegetation is its root water uptake, which significantly modifies the processes involved in water transfer in the vadose zone. This paper focuses on mapping temporal and spatial changes in soil moisture using electrical resistivity tomography (ERT). The main objective of this study was to assess how electrical resistivity (ER) is useful for mapping water distribution along a heterogeneous toposequence crossed by a hedgerow. Ten ERT were performed over the studied period for a 28 m long toposequence and compared to matric potential and groundwater level measurements. Soil Volumetric Water Content (VWC) was predicted with two methods: (i) from ER using the Waxman and Smits model (ii) and from matric potential using an experimental retention curve fitted by a Van Genuchten model.

Probability Density Functions (Pdfs) of our set of data show that the largest change, in mean ER and matric potential, was observed in the topsoil layer. We then analyzed the consistency between ER and point measurements in this layer by extracting the arrays at the junction of ER grids and point measurements. Pdfs of ER maps at each monitoring time (from T01 to T10) were also calculated to select the most contrasting distributions, corresponding to the wettest (T06) and driest states (T10). Results of ER were consistent with matric potential measurements, with two different behaviors for locations inside and outside the root zone. A strong correlation ($r=0.9$) between VWC values from the Waxman and Smits model and those obtained from the retention curve was observed outside the root zone. The heterogeneous soil system inside the root zone shows a different pattern in this relationship. The shift in the relationship between ER and soil moisture for the locations outside and inside the root zone highlights the non-stationarity in the heterogeneous soil system. Such systems were actually related to the high hedgerow root density and also to a particular topographical context (ditch and bank) that is encountered in Brittany and throughout northwestern Europe.
1 Introduction

Understanding the role of vegetation in the interface between the atmosphere and groundwater is the most decisive key for analyzing the processes involved in water transfer. The main impact of vegetation is root water uptake and hydraulic redistribution, which significantly modifies the processes involved in water transfer in the vadose zone. In Western Europe, hedgerow networks are a common and ancient tree alignment surrounding agricultural fields. Hedgerow removal due to farm enlargement is the major land use change since the Second World War. Previous studies suggest a significant impact of hedgerows on soil moisture (Caubel, 2001; Thomas et al., 2008) and rainfall distribution (Ghazavi et al., 2008). Many studies have explored the effect of hedgerows surrounding wetlands on water fluxes and the subsequent increase in transpiration (Thomas et al., 2012) and decrease in nitrate concentration (Grimaldi et al., 2009). The benefits of hedgerows in soil conservation have been highlighted by Walter et al. (2003). In agricultural landscapes throughout the world, combining trees and crops seems an appropriate alternative for providing the benefits of trees to crop requirements. Water availability can be monitored using direct and indirect soil moisture sensors. As significant spatial variability exists in the vadose zone, a dense array of sensors (e.g. tensiometers, TDR, piezometers) is usually required. However, a high density of sensors is not only expensive, but drilling to install them can disrupt hydraulic contact and induce preferential flow. Non-invasive geophysical imaging techniques, such as electrical resistivity tomography (ERT), might be an alternative way to monitor matric-potential distribution in the soil in relation to root water uptake. Specifically, ERT allows the spatial distribution of soil electrical resistivity (ER) to be mapped in 2D or 3D.

As a geophysical signal, ER is related to varying physical and chemical characteristics. ERT helps to identify spatial and temporal soil physical properties (e.g. structure, water content, fluid composition). Many applications of ERT have been developed over the last 20 years, from assessment of solute transport in aquifers (Muller et al., 2010) to detection of soil salinity in irrigated zones (Adam et al., 2012). Samouëlian et al. (2005) reviewed ER as a function of soil properties, described the main electrical devices for 2D or 3D surveys and explained the basic principles of data interpretation. Soil ER mainly involves the constant physical properties of the soil, such as clay content, but also involves variable properties over time, such as soil water content, soil water electrical conductivity and temperature (Ward, 1990; Samouëlian et al., 2005). Thus, time-lapse ERT is an alternative way to monitor spatial and temporal water flux providing larger spatial scales. Numerous studies have tested the
potential of ERT to monitor water flux processes, such as infiltration in unsaturated conditions (Descloitres et al., 2008; Al Hagrey and Michaelsen., 1999; Michot et al., 2001; Michot et al., 2003; Yamakawa et al., 2011; Zhou et al., 2001). Thus, in order to use ER to monitor VWC, it is necessary to perform a laboratory or field calibration (Michot, 2003), or to develop a pedotransfer function integrating data about soil properties (Hadzick et al., 2011; Brillante et al., 2014). Another alternative is to use a petro-physical model linking ER to VWC. Various petro-physical models have been derived from Archie’s (1942) law and were developed first for pure sand (without any clay). The empirical Waxman and Smits (1968) model based on Archie’s (1942) law takes into account the effect of clays on resistivity and has been successfully applied in its simplified form to agricultural soils (Garré et al., 2011; Beff et al., 2013). Among five petro-physical models tested on a loamy soil to predict VWC and soil bulk density, the Waxman and Smits model appeared more consistent for electrical resistivity values > 100Ωm (Laloy et al., 2011), which are often observed in dry soils. For lower ER values (<100Ωm), the volume-averaging method (Pride, 1994; Linde et al., 2006) outperformed other tested models. A review of possible techniques to develop models that allow the use of ERT to spatialize soil water availability to plants was presented by Brillante et al. (2015). They describe methods and models to calibrate ER using TDR measurements.

Several authors have also described the distribution and biomass of tree roots using ERT (Amato et al., 2008; Amato et al., 2009; Zenone et al., 2008; Al Hagrey and Petersen, 2001; Rossi et al., 2011). Root presence in the soil is characterized by a highly resistive area close to the tree trunk (Amato et al., 2008; Al Hagrey, 2007), and soil ER varies with root biomass density (Rossi et al., 2011). However, understanding the spatial heterogeneity of soil water content and the hydrological processes in a hedgerow landscape implies estimating the root water uptake of tree hedgerows. Werban et al. (2008) used ERT to monitor temporal changes in the distribution of soil water content in the root zone of a lupine plant in the laboratory. Garré et al. (2011) used ERT to measure soil water depletion caused by barley plants grown on an undisturbed soil monolith in a lysimeter. Michot et al. (2003) monitored soil water fluxes with ER imaging in an agricultural field after irrigation and detected preferential dryness just below cultivated maize plants. Similar observations of root zone drying, highlighted by an increase in ER, were shown in Mediterranean contexts by Al Hagrey (2007) and Nijland et al. (2010) on soils planted with cork oaks or covered by semi-natural vegetation of evergreen shrubs and trees. However, only Srayeddin and Doussan (2009) have quantified and mapped root water uptake of maize and sorghum in field conditions using
time-lapse ERT. Recently, Garré et al. (2012) tested the ability of different ERT electrode arrays to detect soil moisture dynamics in a monocropping and an intercropping system. The most promising electrode array they tested was a combination of dipole-dipole and Wenner measurements. This effective electrode array was then tested for monitoring soil water dynamics in mixed cropping systems in the warm and humid tropical climate of Thailand (Garré et al., 2013). Most previous ERT work on soil water depletion induced by tree or plant root water uptake has focused on well-drained soils.

The present study had a double goal: (i) to investigate effects of hedgerow roots on soil moisture using ERT and point monitoring and (ii) to verify the correlation between ER and soil moisture in a heterogeneous soil system. Soil water depletion was estimated by point measurements of soil matric potential over the studied period. ER values were converted to soil volumetric water content (VWC) using the Waxman and Smits petro-physical model. VWC values were compared to those obtained from matric potential using a retention curve.

Our case study focused on a toposequence located in a hillslope whose hydrology was controlled by shallow groundwater. The toposequence was located in a bottomland crossed by a hedgerow. The hydrological year was particularly wet.

2 Materials and methods

2.1 Study site

The study site was located in Brittany, western France. Hillslope hydrology was controlled by shallow groundwater developed in schist bedrock with silt loam soils. An oak hedgerow (Quercus robur) running north-to-south, planted perpendicular to the slope, created a clear barrier between two contrasting zones. Upslope of the hedgerow, the only land use was well-drained hillslope soils with permanent pasture. Downslope of the hedgerow was a bottomland with waterlogged soils and both permanent pasture and wet-meadow vegetation (Carex spp.). A 28-m toposequence perpendicular to the hedgerow was established from 16 m upslope of the hedgerow (UP16) to 12 m downslope (DW12). The mean slope was 4.8% and 11.8%, respectively, on the toposequence upslope and downslope of the hedgerow. The difference in elevation between UP16 and DW12 was about 2 m (Fig. 1). In the study site, the wetland extended from 10 m downslope the hedgerow to the stream.

Long-term (32-year mean) annual rainfall (R) at a nearby weather station (Le Rheu, 5 km from the study site) was \(~720\) mm, annual potential evapotranspiration (PET-Penmann) was
∼650 mm, and annual air temperature was ∼11.7°C, ranging from 5.4°C in January to 18.4°C in August (Ferren, 2004). During the studied period, rainfall and PET data were collected at the Saint-Jacques meteorological station (48° 4’12” N, 1° 43’ 36” W), 5 km from the study site. Ten monitoring times from 10 March to 13 August 2007 are denoted T01 to T10. Cumulative rainfall and PET-Penmann were calculated between each monitoring time (T01 to T10). During the monitoring period, net rainfall (Rainfall−PET) of each interval between ERTs was higher than that during the same period of the previous 6 years (2001-2006) (Fig. 2). Also, the lowest net rainfall measured between ERTs during the monitoring period was about -40 mm, compared to -150 mm observed during the previous 6 years. Thus, the hydrological year studied was particularly wet.

2.2 Soil organization and properties

The organization and geometry of soil horizons was described in 2D vertical cross section of the toposequence in a trench of 2 m deep and 28 m long that was excavated parallel to the toposequence (Fig. 1). Soils and horizons were identified according to the World Reference Base of Soil Resources (FAO, 2006). The geometry and properties of these pedological horizons vary greatly over small spatial scales, according to previous observations in a similar hedged landscape (Walter et al., 2003; Follain et al., 2009). We observed a luvic and stagnic Cambisol and a stagnic Fluvisol from upslope to downslope, respectively. In the upslope zone, the thickness of the organo-mineral loamy A horizon increased from 0.4 m to 1.1 m from upslope to the ditch close to the hedgerow (Fig. 1). In the downslope zone, the organo-mineral A horizon was thinner and ranged from 0.1 m below the hedgerow to 0.5 m at the boundary with the epistagnic fluvic horizon (B1 horizon, see Fig. 1) of the wetland. The complexity of this soil’s spatial organization within the hedged landscape is controlled by past and recent redistribution processes, such as hydric and tillage erosion. Also, past and recent hedgerow network design may influence soil organization, as highlighted by Follain et al. (2009). Increasing thickness of the A horizon from upslope to the hedge is due to the anti-erosive effect of the hedge as a barrier. Soil horizon organization differed slightly below the hedgerow, particularly due to anthropogenic topographical features, such as under the ditch and in the soil bank (Fig. 1). Soil thickness above the weathered schist bedrock varied greatly. It ranged from 1.3-1.6 m near the hedgerow in the upslope zone to less than 0.9 m in the downslope zone.
Redoximorphic features appeared below a depth of 0.5 m in the upslope zone and began at the soil surface in the downslope zone.

Soil texture, bulk density and hydraulic conductivity were measured at seven locations along the toposequence (Fig. 1) where soil matric potential (Ψ) and groundwater level (GWL) were monitored: 16 m, 8 m, 4 m and 1 m upslope (UP16, UP8, UP4 and UP1) and 2 m, 6 m, 12 m downslope (DW2, DW6 and DW12).

The clay content of shallow and organo-mineral horizons ranged from 14.6-16.0% in the upslope zone and exceeded 20% in the downslope zone (Ghazavi et al., 2008). At greater depths, the endostagnic B horizon observed in the luvisolCambisol (UP16) had a clay content of 23.3%, but the highest clay content was observed in the stagnic Fluvisol in the bottomland (DW12). It ranged from 24.7% in the shallow epistagnic fluvic B1 horizon to 27.1% in the endostagnic fluvic B2 horizon at depths of 0.4 m to 0.9 m. At depth, the schist saprolite (C horizon) had a loam-sandy-clayey texture (Fig. A and Ghazavi et al., 2008). We observed several coarse particle accumulations (e.g. stones, quartz veins) in the 2D vertical soil cross section, in particular in the upslope zone and near the ditch along the hedgerow.

As expected, soil bulk density increased with soil depth at all distances along the toposequence (Fig. S2 a and b, in the Supplement). Vertically, variability in bulk density in the upslope zone was lower than that in the downslope zone. Horizontally, in the upslope zone, soil bulk density increased with distance from the hedgerow, respectively, from 1.3 (UP4) to 1.6 (UP16) at 5 cm deep and from 1.5 (UP4) to 1.7 (UP16) at 100 cm deep (Fig. S1 a and b, in the Supplement). Additionally, bulk density was higher in the topsoil layer (0-50 cm deep) in the upslope versus downslope zone.

Soil hydraulic conductivity was measured at conditions of near saturation, i.e. at a low water potential of -0.05 kPa, with a Decagon 4.5-cm diameter mini disk infiltrometer (Decagon Devices, 2006). Soil hydraulic conductivity was determined from steady-state flux data according to the Wooding (1968) approach. Multiple depths were measured at each monitored location along the toposequence (Fig. S1 c and d, in the Supplement). As a function of changes in bulk density, hydraulic conductivity at -0.5 hPa water potential (K(-0.5 hPa)) decreased with increasing soil depth at all locations along the toposequence except for DW2, where a singular point was observed at a depth of 60 cm. Mean K(-0.5 hPa) values were significantly higher in the downslope zone (6.10^{-4}, 5.7.10^{-4} and 5.5.10^{-4} m.s^{-1} at DW2, DW6 and DW12, respectively) versus the upslope zone, especially in the topsoil i.e. depth >50 cm.
(200.10$^6$ m.s$^{-1}$ at UP4, UP8 and UP16). K($-0.5$ hPa) values (Fig. S1, in the Supplement) were relatively homogeneous in the vertical plane upslope from the hedgerow; while a difference of two orders of magnitude was observed between the topsoil and subsoil in the downslope zone. A lower K and higher bulk density are well-known characteristics of bottomland soils.

The soil surface occupied by roots along the trench was estimated using a quadrat of 1 m$^2$ subdivided into 100 squares of 100 cm$^2$ each (Breda et al., 1995). First, the quadrat was located at a depth of 10-110 cm to avoid counting pasture roots in the top layer. Otherwise, roots without woody structure were not considered. For each 100 cm$^2$ square, only the woody roots were counted and summed for the 1 m$^2$ section of the trench, both upslope and downslope, and the percentage of total woody roots that occurred in each section was calculated as presented by Ghazavi et al. (2008). Along the toposequence, vertical root distribution within each 1 m was also calculated at four depth classes: 10-50, 50-100, 100-150, and 150-200 cm (Figs. S2 e and f, in the Supplement). According to the observations of Ghazavi et al. (2008), horizontal distribution of tree roots in the upslope and downslope zones was asymmetric, with 76% of tree roots located upslope and only 24% of roots located downslope. Vertically, tree roots reached deeper in the upslope zone than in the downslope zone. Moreover, in the upslope zone, 61%, 36%, 3% of roots were, respectively, located 10-50, 50-100, and 100-200 cm deep. In the downslope zone, 92% of roots were located 10-50 cm deep, and only 8% were 50-100 cm deep.

2.3 Hydrological monitoring: point measurements

Soil matric potential and groundwater level were monitored as described by Ghazavi et al. (2008, 2011). Seven locations were monitored continuously with one piezometer and five tensiometers each (Fig. 1). Three piezometers were located at 16, 8 and 4 m upslope of the hedgerow, each with a tube diameter of 11.2 cm and a total length of 7.5 m, of which 4 m at its base were screened. The other four piezometers were located at 1 m upslope and 2, 6 and 12 m downslope of the hedgerow, each with a diameter of 6.8 cm and a total length of 4.5 m, of which 2 m at its base were screened. For each monitored location, five tensiometers were installed at depths of 25, 50, 100, 150, and 200 cm. The vertical soil matric-potential gradient was used to interpret the ER.
2.4 Electrical resistivity monitoring

2.4.1 Timeframe ERT

Temporal monitoring of ER along the toposequence (Fig. 1) was performed at 10 monitoring times (T01 to T10). Resistivity was measured with a Syscal R1 resistivity meter (Iris Instruments, Orléans, France). The precision of its intensity and voltage was ±0.3% which is consistent with measurements taken under constant surface conditions. The experimental design included a row of 64 electrodes that were lined up on the soil surface perpendicular to the hedgerow (Fig. 1). With an electrode spacing of 0.5 m, the experimental device measured 31.5 m long. The electrodes remained on the soil surface during the entire experiment to avoid changes in electrode polarization and ensure high-quality measurements. The resistivimeter followed a pre-programmed measurement sequence, and a multiplexer switched among the electrodes.

A dipole-dipole arrangement was chosen because it allowed the greatest number of measurements for the number of electrodes present, which was advantageous for data inversion. Moreover, the dipole-dipole array was highly sensitive to horizontal changes in resistivity but relatively insensitive to vertical changes. For each resistivity measurement, an electrical current was passed between two adjacent electrodes (dipole AB), and the potential difference was measured between two other neighboring electrodes (dipole MN). The bulk ER $\rho_a$ of a half-space measured with a dipole-dipole electrode array is:

$$\rho_a = 2\pi \frac{\Delta V}{I} \frac{1}{(1/MA - 1/MB + 1/NB - 1/NA)} = k \frac{\Delta V}{I}$$

(1)

Where $I$ is the intensity of the current passed between electrodes A and B, $\Delta V$ is the potential difference measured between electrodes M and N, and $k$ is the “geometric factor”, whose value depends on the type of array. For a dipole-dipole array, $k$ is calculated as:

$$k = \pi (n \cdot (n + 1) \cdot (n + 2) \cdot a)$$

(2)

Where $a$ is the spacing (distance, in m) between electrodes of each dipole, and $n$ is a dipole-separation factor whose value is usually an integer multiple of the distance between the current or potential electrode pair. To obtain the necessary resolution, 646 measurements were taken during each ERT. Measurements were located at 12 pseudodepths of investigation, the first 5 with $a$ of 0.5 m and $n$ of 1, 2, 3, 4 and 6. Since the potential measured between M and
N decreases rapidly with increasing \( n \), it is not advisable for \( n \) to exceed 6. To maintain measurement quality at greater depths, which have high signal-to-noise ratios, three pseudodepths were investigated with \( a \) of 1 m and \( n \) of 2, 3 and 4. The remaining four pseudodepths had \( a \) of 1.5 m and \( n \) of 2, 3, 4 and 5. In a dipole-dipole electrode setup, the spacing between the dipole that passes the current and the dipole that measures the potential difference is gradually increased. By convention, bulk ER measurements are represented at the centre of the quadripole and at a depth proportional to the spacing between dipoles. Each ERT required 1 hour and 40 minutes.

### 2.4.2 ERT data processing

Inverting resistivity measurements is an essential step before interpreting them because the raw resistivity measurements rarely reveal the true structure of the soil. Thus, resistivity sections were inverted with the software RES2DINV (Loke and Barker, 1996) using a smoothness-constrained least-square method to produce a 2D subsurface model. In the first iteration, a homogeneous earth model was used as a starting point from which partial derivative values of resistivity could be calculated analytically. For subsequent iterations, a quasi-Newton method was used to estimate the partial derivatives, which reduced computing time. In this method, Jacobian matrices for the homogeneous earth model were used for the first iteration, and those of subsequent iterations were estimated with an updating technique. The model consisted of a rectangular grid. Software determined the resistivity of each mesh, which calculated the ER of each section according to field measurements. An iterative optimization method consisted of minimizing the difference between measured resistivity values and those calculated with the inversion model by minimizing the root mean square error (RMSE). Topographic correction was applied to this inversion process. The cells of the grid obtained (Fig. S2, in the Supplement) were defined by their 4 corners coordinates. Each ERT was inverted independently, considering the same number of measurements. Further details about inversion methods are available in the literature (Loke and Barker, 1996).

Bulk ER of unsaturated soils decreases when water content increase, and vice versa (Ward, 1990). In saturated zones, changes in bulk ER are usually linked to changes in groundwater electrical conductivity.

During the monitoring period, soil drying due to evapotranspiration was analyzed using statistics of each ER map. A probability density function (Pdf) of the map at each monitoring time (T01 to T10) was calculated, and Pdfs were compared to select the most contrasting
distributions. The lowest ER mean represents the wettest state (T06), while the highest ER mean represents the driest state (T10). The change in ER was calculated between those states and was compared to that in matric potential for the same states.

2.4.3 ER conversion to VWC

To quantify the relationship between ER and matric potential, ERs values were extracted at the location of each tensiometer (Fig. S2, in the Supplement). ER and matric potential of the topsoil layer (at depths of 25 and 50 cm) corresponding to the unsaturated zone were analyzed. ER values were also converted to soil VWC from the Waxman and Smits (WS) model (Waxman and Smits, 1968) simplified by Garré et al. (2011, 2013) using equation (3).

\[ SWC = \left( \frac{\frac{1}{ER} - b}{a} \right)^{1/n} \]  

where \( a \) (S m\(^{-1}\)), \( b \) (S m\(^{-1}\)), and \( n \) are fitting parameters. As explained by Garré et al. (2011), these parameters can be explained in a physical way in combination with porosity: \( a \) is related to pore water conductivity, and \( b \) is related to soil surface conductivity. The parameter \( n \) is related to pore connectivity in the full WS model.

Since the variation range of WS parameters is unknown for the toposequence studied, a sensitivity analysis was performed using the range of the parameters presented by Garré et al. (2011). Their study examined four horizons of an orthic Luvisol developed in a Loess parent material from Germany. Orthic Luvisol has relatively similar pedogenesis and texture as those observed in our toposequence, especially in the upslope zone. For each parameter of the WS model, three values (Table 1) were tested, leading to 27 simulations. VWC values were calculated for each extracted cell grid.

Using the retention curves from Ghazavi et al. (2011), measured in the soil horizons of this studied toposequence, we also converted soil matric potential data into VWC. Experimental retention curves (Fig. S3, in the supplement) were fitted using the Van Genuchten model (Van Genuchten, 1980) from equation (4):

\[ \theta(h) = \begin{cases} \theta_r + \frac{[\theta_s - \theta_r]}{[1+\alpha h]^n} & \text{for } h < 0 \\ \theta_s & \text{for } h \geq 0 \end{cases} \]  

where \( \theta_s \) and \( \theta_r \) are saturated and residual volumetric water content (VWC [cm\(^3\) cm\(^{-3}\)]), respectively; \( h \) is pressure head or matric potential [hPa]; and \( \alpha \), \( n \) and \( l \) are Van Genuchten parameters m=1-l/n (Table S1).
3 RESULTS

3.1 ER sections and statistical distribution of ER

Pdfs of ER at each measurement time (from T01 to T10) were Gaussian and similar to each other except at T10 (Fig. 3). T06 and T10 had the greatest differences in ER value statistics (see Table 1) and were selected as the wet and dry states, respectively. To avoid redundancy, we describe only ER maps of T06 and T10. At both dates, a superficial layer from 0-0.8 m deep in the upslope zone with 100-200 Ω·m of ER. In the downslope zone, a small localized resistive structure appeared at a distance of 1-2 m from the hedgerow. In the upslope zone a resistive layer was formed by the unsaturated well-drained organo-mineral A horizons (Fig. 4). Below this resistive layer, a conductive one was observed with 20-60 Ω·m of ER. The thickness of this conductive structure decreased and reached the ground surface 4-12 m downslope from the hedgerow and had a vertical conductive structure below the hedgerow. A third layer with resistivity ranging from 60 to >200 Ω·m was observed deeply (<-2 m) in the upslope zone and was shallow downslope from the hedgerow and slightly variable along the slope (Fig. 4). Over the studied period, a discontinuity in this layer between upslope and downslope zones appeared vertically below the hedgerow where the lowest resistivity (< 20 Ω·m) was observed (Fig. 4). Local resistive structures (>150 Ω·m) were observed at cross-section boundaries, below the ditch and at DW12. These local anomalies were probably due to inversion-method artefacts.

3.2 Time-frame ERT and matric potential profiles

The map of percentage change in electrical resistivity highlights temporal changes in ER between wet (T06) and dry (T10) states (Fig. 5). This map was compared to matric potential profiles measured for each location at T06 and T10 (Fig. 5). The map of Fig. 5 and point measurements highlight two main areas with large differences in ER. From 16 m upslope to 7 m downslope along the toposequence, an increase in ER by 20-100% in the topsoil (0-0.9 m deep) (Fig. 5). In contrast, ER of the subsoil (>1m) increased by approximately 20%, with multiple localized structures in which ER decreased by 20-80%. Below the hedgerow, ER increased in a three-pronged pattern, with the upslope branch turning down toward the ditch at 45°, a vertical branch extending beneath the tree, and the downslope branch following the soil surface. Changes in ER were negative from 7-13 m downslope, but the highest decrease in ER (-80%) was observed 1-4 m upslope below a depth of 2 m. Changes in soil matric
potential corresponded to changes in ER (Fig. 5). According to matric potential data, the
topsoil layer was drier (at depths of 0.25 and 0.5 m) than the subsoil (at depths of 1, 1.5 and 2
m). Soil matric potential decreased upslope at a depth of 0.5 m: from -20 to -152 hPa at 16 m,
-127 to -615 hPa at 8 m and -75 to -425 hPa at 4 m. Under the ditch 1 m upslope and 2 m
downslope, the change in soil matric potential confirmed soil drying down to 1 m and 0.5 m,
respectively. The soil was unsaturated to a depth of 0.40 m at 6 m downslope. Moreover, even
though the soil was saturated by groundwater, electrical resistivity of several localized
structures increased by 5-80% (Fig. 5). These structures were located mainly from 9-11 m and
1-3 m upslope and 1.5-4 m and 11-13 m downslope.

Pdf of ER (Fig. 6a) highlight the shift in mean ER between the entire domain and the topsoil
layer, as do mean values of matric potential Pdf (Fig. 6b). For the topsoil layer, mean ER was
highest when mean matric potential was lowest, corresponding to the driest soil, for both the
wet and dry states. The difference in ER between the entire domain and the topsoil layer was
about 26 Ω m for T06 (wet state) and reached 110 Ω m for T10 (Fig. 6a). For matric potential,
the difference between the entire domain and the topsoil layer was about -73 hPa for T06 and
-200 hPa for T10 (Fig. 6b). The greatest changes in both ER and matric potential were located
in the topsoil. In the topsoil layer, change in mean ER and matric potential between the wet
and the dry state was about 120.5 Ω m and -277 hPa (Fig. 6a and b), respectively. Pdfs of ER
and Pdfs of matric potential show the same shape between the wet (T06) and dry (T10) state,
with an increase in data dispersion due to the highest amplitude during the dry state (Fig. 6).

3.3 Comparison of point measurements: matric potential versus ER

In the unsaturated topsoil, point measurements of matric potential were consistent with ER
extracted from each grid (Fig. 7). Two behaviors were observed for the locations inside and
outside the root zone (Fig. 7). According to the root system pattern (Fig. S1e and S1f, in the
Supplement), we assumed that UP16, UP8 and DW12 were not influenced by the root system
and were thus outside the root zone. The locations assumed to be inside the root zone were
UP4, UP1, DW2 and DW6. For the locations inside (Fig. 7) and outside (Fig. 7) the root zone,
two different patterns in the relationship between ER and matric potential were observed.
Outside the root zone, a linear relationship was observed (R²=0.8), whereas a dispersion in
this relationship appears for the measurements inside the root zone (R²=0.3). Also, matric
potential range measured outside the root zone remained in the same order of magnitude for
both wet and dry states. The wet (T01 to T06 in Fig. 7) and dry (T07 to T10 in Fig. 7) states were analyzed separately.

Upslope, the location situated 4 m from the hedgerow (UP4) showed a pattern similar to those outside the root zone during the wet state (Fig. 7). UP4 switched to the pattern of the locations inside the root zone during the dry state (Fig. 7).

### 3.4 VWC estimation

Figure 8 shows the relationship between ER and VWC obtained from the WS model with a standard deviation corresponding to the set of WS parameters. The range of variation in VWC prediction from the WS model was highest for small ER values (\(<75 \ \Omega \ m\)). Outside the root zone (Fig. 8), VWC values predicted from the retention curve were consistent with VWC from the WS model both for wet (Fig. 8a) and dry states (Fig. 8b). Inside the root zone (Fig. 8), VWC values predicted from the retention curve were smaller than VWC from the WS model except for UP4 during the wet state (Fig. 8a). At UP4, VWC predicted from the retention curve was slightly smaller than that predicted by the WS model during the dry state (Fig. 8b).

Figure 9 shows the relationship between VWC estimated from the retention curve and VWC predicted by the WS model. Red and gray circles show locations outside and inside the root zone, respectively. The wet (T01 to T06 in Fig. 9) and dry (T07 to T10 in Fig. 9) states were analyzed separately. For the both wet and dry states, the relationship between the two predictions had a strong correlation (\(r=0.9\)) for locations outside the root zone. Predictions for UP4 were quite good, especially for the wet state (Fig. 9). During the dry state, the relationship between the two predictions remained acceptable, with a smaller VWC from the retention curve (Fig. 9). A shift between the locations inside and outside the root zone indicates two different patterns. VWC values predicted from the WS model show highest soil moisture for locations inside the root zone (Fig. 9).

### 4 DISCUSSION

Predicting VWC from ERT has become a classical approach widely used by geophysicists. The method we developed has several steps, from data acquisition to processing (Fig. 10). Changes in ER over time were predicted without removing the effect of soil temperature variations over the study period, since these data were missing. Pdfs of ER and matric potential were helpful for analyzing the statistical range of data and selecting the relevant
monitoring time. The most contrasting times, corresponding to the wettest (T06) and driest (T10) states, were analyzed. ER and matric potential data from the unsaturated zone were extracted to analyze the relationship between ER and matric potential (Fig. 10). The simplified petro-physical model of Waxman and Smits was then used to convert ER data to VWC. VWC was also predicted using retention curves (Fig. 10).

### 4.1 Soil properties and horizons organization

Vertically, ER maps revealed three main structures along the toposequence: (i) a resistive topsoil layer (Fig. 4) underlying the well-drained organo-mineral A horizon in the upslope zone, (ii) stagnic (A) and endostagnic (E, B) horizons that are more conductive (Fig. 4), (iii) deep C mineral horizon with intermediate ER (Fig. 4) and irregular structures that were probably related to the degree of weathering of the Brioverian schist.

The three main structures are intersected by a vertical conductive structure below the hedgerow (Fig. 4). We hypothesized that this structure may result from a higher degree of bedrock weathering caused by the main taproot (Baffet, 1984). The increase with clay content due to bedrock weathering caused ER to decrease in the vertical conductive structure. Near the taproot, preferential water flow also contributes to bedrock weathering.

As expected, our results show that lateral and vertical changes in ER are consistent with clay content measurements at multiple depths (Ward, 1990). In the downslope zone, clay content is 4-6% higher than upslope zone (Ghazavi et al., 2008). In addition, clay content increased and ER decreased with depth for all upslope locations (UP16, UP8, and UP4). ER also decreased when soil bulk density increased from the topsoil to the depth of the unsaturated zone (Figs. S2a and S2b). Besson et al. (2004) obtained similar results, indicating that soil ER was sensitive to bulk density. An increase in bulk density from 1.39 to 1.59 in a loamy soil corresponded to an $11 \, \Omega \, \text{m}$ decrease in ER (Besson et al., 2004).

### 4.2 Spatial distribution of hedgerow roots in the unsaturated zone

Most roots were located in the upslope zone from 0.1-1.0 m deep (61% from 0.1-0.5 m deep and 36% from 0.5-1.0 m deep) and extended up to 6 m upslope from the hedgerow (Figs. S2e and S2f). Downslope, 92% of roots were located from 0.1-0.5 m deep and only 8% were located from 0.5-1.0 m deep (Figs. S2e and S2f). In addition, oak roots did not extend further than 9 m downslope. The temporal change in ER was largest in the topsoil layer and inside the root zone (Fig. 5a). Also, matric potential gradients were highest near the hedgerow (Fig. 3).
They were induced by root water uptake and agree with the literature on the spatial distribution of oak root systems (Drénou, 2006; Lucot, 1994). In our study, the spatial distribution of the root system was influenced by soil characteristics and anthropogenic features such as the ditch and the embankment on which the hedgerow was planted. Investigation of root depth along the toposequence was limited by a compact soil layer with a high bulk density of 1.6 (Fig. 4b, in the Supplement) starting at a depth of 0.6 m.

In agreement with previous observations (Amato et al., 2008; Al Hagrey, 2007; Rossi et al., 2011), our results show several highly resistive areas close to the tree trunk (Fig. 4). Increases in ER between the wet and dry states (Fig. 5) likely identify the spatial limits of the hedgerow root system highlighting a three-pronged pattern inside the root zone. Rossi et al. (2011) demonstrated that ER variability in an orchard was related only to root biomass density. In our experiment, quantitative analysis of the relationship between ER and root density was not relevant, since their locations in the toposequence were not exactly the same.

4.3 Consistency between ER and matric potential

Changes in ER are related to parameters such as volumetric water content, solute concentration and temperature (Ward, 1990). According to our experimental design, changes in ER were compared to those in soil matric potential, which were converted into volumetric water content by using measured retention curve (section 4.4).

Two different behaviors in the relationship between ER and matric potential were observed between locations outside the root zone (UP16, UP8, and DW12) and those inside the root zone (UP4, UP1, DW2 and DW6), with $R^2$ values of 0.8 and 0.3, respectively (Fig. 7). However, for UP4, this relationship adequately fit the curve obtained outside the root zone during the wet state (T01-T06). Despite high root density, UP4 showed the same behavior as the locations outside the root zone. The wet and leafless period, which occurred from autumn to the beginning of spring, without transpiration (Thomas et al., 2012), was characterized by no influence from the root system. ER values showed this lack of influence for UP4 during this period. The ER-matric potential relationship of UP4 shifted to that of the locations inside the root zone during the dry state. For all locations inside the root zone, we also identified distinct differences in the relationship between ER and matric potential between wet and dry states. Inside the root zone, the relationship between matric potential and ER had high variability from wet to dry states, probably caused by soil heterogeneity (Fig. 7). A decrease in matric potential (from -100 to -650 hPa) inside the root zone was related to a small change
in ER. At our study site, the hedgerow with a bank and a ditch increased soil variability (Fig. 1). Moreover, as described by Hesse (1990), variation in topography modifies bulk ER measurements for a given electrode array. For a homogenous soil system, bulk ER decreases over a bank and increases over a ditch (Hesse, 1990). Topographical singularities create anomalies in ER values.

The ability of ER to predict soil matric potential was quite good along the toposequence outside the root zone (Fig. 7). We hypothesized that the many singularities around the hedgerow, combined with the high root density, increased the signal-to-noise ratio. Considering the shift in mean ER (Pdf in Fig. 6a) between the wettest (T06) and driest (T10) states, the decrease in matric potential did not change the shape of ER distributions but only their mean values, which was highest when the soil was drier. Matric potential gradients (Fig. 5b) showed a drier zone inside the root zone.

4.4 VWC prediction using ER inside and outside the root zone

By analyzing 27 simulations from the WS model, our results highlight the sensitivity of VWC prediction to WS parameters (standard deviation = 0.030-0.014%). Outside the root zone, VWC values predicted by the WS model were consistent with those from the retention curve (Fig. 8), suggesting the ability of ER to predict soil moisture in a homogenous soil system. Differences in VWC prediction inside the root zone were observed for both wet and dry states (Fig. 8). Moreover, ER values were smaller than 50 $\Omega$ m, indicating limitations of the WS model. As suggested by (Laloy et al., 2011), among five petro-physical models tested on a loamy soil to predict VWC and soil bulk density, the Waxman and Smits model appeared more consistent for electrical resistivity values > 100$\Omega$m which are often observed in dry soils. For lower ER values (<100$\Omega$m), the volume-averaging method (Pride, 1994; Linde et al., 2006) outperformed other tested models. In our study, the bad results obtained from WS model are probably related to the inconsistency in parameters as soil water electrical conductivity changes with soil moisture inside the root zone. Outside the root zone, a good agreement between WS and retention curve predictions during the wet state highlights the ability of ER to predict soil moisture (Fig. 9). A linear relationship was observed between VWCs predicted by the WS model and the retention curve. Inside the root zone, VWC predicted with the WS model overestimated soil moisture for both wet and dry states. Overestimation of soil moisture inside the root zone was probably related to soil heterogeneity. Also, shallow groundwater up to 2 m deep maintained a high soil moisture.
along the toposequence. No change in water content occurred, since the all pores of the saturated zone were occupied by water. We conclude that changes in ER were probably related to changes in electrical conductivity of soil water. We also observed a high chloride concentration below the hedgerow in the same toposequence (Grimaldi et al., 2009). It is well known that ER decreases when ionic concentration increases (Ward, 1990). Since chloride is a conservative solute, its concentration increased with water and nutrient uptake. At this location, the highly conductive structures (Fig. 4) were observed below the hedgerow, in agreement with observations of chloride concentration (Grimaldi et al., 2009). These structures, probably due to a high chloride concentration, moved little over time on the ER maps (T01 to T10, Fig. 4). The conductive structure observed at UP1 from T01 to T04 disappeared at T05 due to high rainfall (Figs. 2 and 3). Rainfall events observed between T04 and T05 should have diluted solutes. Another conductive structure below the hedgerow appeared at T07 and at T09, when root water uptake was highest. Change in conductive zones and their small degree of movement was probably related to water fluxes and chloride concentration.

To analyze the relationship between soil ER and individual parameters, further studies are needed. High-resolution analysis should be performed by monitoring chloride concentration, ER, and soil matric potential at the same spatial (grid size) and temporal resolutions. In this way, the perspective of using ER maps as a proxy for chloride accumulation in the vadose zone could be addressed.

The originality of our approach consists in analyzing both spatial and temporal effects of soil moisture. Spatial effects of the root zone induced a non-stationarity of the relationship between VWC (or ψ) and ER (Figs. 7 and 8). The temporal effect was mainly controlled by the seasonality (wet and the dry periods), which is well known as a first-order forcing.

5 CONCLUSION
ERT monitoring offers a non-invasive tool with a high resolution, providing information about soil horizon geometry as well as physical and chemical properties. The geophysical signal reveals combined contributions from the main parameters (i.e. structure, water content, fluid composition), but their individual effects are more difficult to assess. The hydrological year studied was particularly wet but the link between ER and matric potential highlights different trends inside and outside the root zones. The Pdfs of ER and
matric potential measurements for wettest and driest states show the largest difference in
mean values in the topsoil layer.

The heterogeneous driest zones, below the hedgerow, identified using ER changes and matric
potential maps, were consistent with vertical and horizontal root density.

Results of ER were consistent with matric potential measurements, with two different
behaviors for locations inside and outside the root zone. A strong correlation ($r=0.9$) between
VWC values predicted by the Waxman and Smits model and those predicted by the retention
curve was observed outside the root zone. In our case study, a shift in the relationship
between ER and soil moisture was observed between the locations inside and outside the root
zone. Soil heterogeneities, inside the root zone, were related to the high root density in a
particular topographical context (ditch and bank near the hedgerow). Such context is
encountered in Brittany and throughout northwestern Europe. A shift observed in the
relationship between ER and soil moisture reveals the non-stationarity in this relationship.

Similar monitoring with ERT should be extended to a variety of toposequences with
contrasting topographical contexts. More investigations of heterogeneous soil systems would
help not only to characterize structures (e.g., soil, weathered bedrock, bedrock) but also to
improve prediction of soil moisture in time and space. In many hedgerow landscapes where
the frequency of linear vegetation structure is high, heterogeneity in the soil system is due
mainly to anthropogenic and topographic singularities such as ditches and banks.

Deconvolution of ER signals to separate effects related to the root system from perturbations
due to the singularities requires further investigation.

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Tables and Figures

Table 1. Parameters used to predict volumetric water content in the Waxman and Smits model. Sensitivity analysis of WS using 27 simulations (for N parameters and m values, simulation number =N^m).

<table>
<thead>
<tr>
<th>Value</th>
<th>a (S m⁻¹)</th>
<th>b (S m⁻¹)</th>
<th>n</th>
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<tr>
<td>Value 1</td>
<td>0.059</td>
<td>1.00E-03</td>
<td>1.0356</td>
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<tr>
<td>Value 2</td>
<td>0.080</td>
<td>1.00E-03</td>
<td>1.1271</td>
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<tr>
<td>Value 3</td>
<td>0.150</td>
<td>1.00E-03</td>
<td>1.3996</td>
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Table 2. Statistics of electrical resistivity measurements calculated from the 548 cells of the entire 2D section (entire domain) at each monitoring time (T01 to T10) of electrical resistivity tomography.

<table>
<thead>
<tr>
<th>Electrical resistivity (Ω m)</th>
<th>T01</th>
<th>T02</th>
<th>T03</th>
<th>T04</th>
<th>T05</th>
<th>T06</th>
<th>T07</th>
<th>T08</th>
<th>T09</th>
<th>T10</th>
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<tr>
<td>Minimum</td>
<td>9.2</td>
<td>10.5</td>
<td>10.9</td>
<td>11.8</td>
<td>10.6</td>
<td>10.7</td>
<td>11.4</td>
<td>11.7</td>
<td>12.1</td>
<td>9.3</td>
</tr>
<tr>
<td>Maximum</td>
<td>615.2</td>
<td>436.3</td>
<td>386.8</td>
<td>493.0</td>
<td>413.5</td>
<td>382.9</td>
<td>344</td>
<td>354.8</td>
<td>384.1</td>
<td>722.9</td>
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<tr>
<td>Standard Deviation</td>
<td>63.7</td>
<td>61.6</td>
<td>59.9</td>
<td>63.3</td>
<td>53.0</td>
<td>52.6</td>
<td>57.2</td>
<td>57.0</td>
<td>60.6</td>
<td>99.2</td>
</tr>
<tr>
<td>Mean</td>
<td>89.2</td>
<td>88.6</td>
<td>86.7</td>
<td>88</td>
<td>78.5</td>
<td>78</td>
<td>80.8</td>
<td>80</td>
<td>83</td>
<td>104.3</td>
</tr>
<tr>
<td>Median</td>
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<td>71.9</td>
<td>68.6</td>
<td>68.8</td>
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<td>65.4</td>
<td>64.4</td>
<td>64.7</td>
<td>66.4</td>
<td>73.5</td>
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Figure 2. (a) Daily rainfall and potential evapotranspiration (PET) measured during the monitoring period (10 April to 13 August 2007). ERT measurement dates (T01 to T10) and intervals between them (dt1 to dt10) are indicated along the x axis. (b) Net rainfall (rainfall – PET) calculated for each interval of the monitoring period and compared to those of the previous 6 years.

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Figure 4. ERT maps at 10 measurement dates (from T01 to T10). Black points indicate tensiometer locations and black arrow the hedgerow location.

Figure 5. (a) Variation (%) in electrical resistivity from the wettest state (T06) to the driest state (T10). (b) Measured soil matric potential profiles at 7 locations: UP16, UP8, UP4 and UP1 for upslope and DW2, DW6 and DW12 for downslope. Dashed lines indicate the wettest state (T06) and solid lines the driest state (T10).

Figure 6. Probability density functions (Pdf) of (a) electrical resistivity and (b) matric potential between wet (T06) and dry (T10) states for the entire domain (solid line) and the topsoil layer (dashed line).
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